

# Reconstructing Coordinations

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# The Plan

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Some background on coordination

New data: A problem for conjunction reduction

Unfolding the data, pt.1

Unfolding the data, pt.2

Towards a derivation: Three candidates

Flexibility

Conjunction reduction with more movement

Conjunction reduction with shifting

Conclusion and outlook

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# What are we talking about when we talk about coordination?

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Uniformity in Propositional Logic:

$p$	$q$	$p \wedge q$	$p \vee q$
T	T	T	T
T	F	F	T
F	T	F	T
F	F	F	F

Variation in Natural Language:

- [ $_{TP}$  Roses are red] **and** [ $_{TP}$  violets are blue].
- Spike bit [ $_{DP}$  Tom] **and** [ $_{DP}$  Jerry].
- Woodstock is [ $_{PP}$  behind Snoopy] **or** [ $_{PP}$  above him].
- You talk [ $_{AP}$  too fast] **or** [ $_{AP}$  too slow].

**Is the representation of coordination in logic adequate for representing coordination in natural language?**

## Two families of approaches

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Uniformity, like in Propositional Logic:

$[XP \dots] \{\text{and/or}\}_{CR} [XP \dots]$ ,  
where  $XP$  is of type  $t$

Variation, like what we hear (and see):

$[XP \dots] \{\text{and/or}\}_{FL} [XP \dots]$ ,  
where  $XP$  is of a conjoinable type

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$t$  is a conjoinable type. If  $\tau$  is a conjoinable type, then for all types  $\sigma$ ,  $(\sigma\tau)$  is a conjoinable type.

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$[XP \dots] \{\text{and/or}\}_{CR} [XP \dots],$

where  $XP$  is of type  $t$

Variation like what we hear (and see):

$[XP \dots] \{\text{and/or}\}_{FL} [XP \dots],$

where  $XP$  is of a t-conjoinable type

# How to maintain sentential coordination despite the variation?

## Conjunction reduction

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"Variation appears only at the surface form..."

- Spike bit Tom {and/or<sub>CR</sub>} Jerry.

"... uniformity holds at the LF"

- [[Spike bit Tom] [{and/or<sub>CR</sub>} [~~Spike bit~~ Jerry]]

(see, e.g., Ross, 1967; Schein, 2017; Hirsch, 2017)

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## Reconstructing conjunction

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The following sentence is ambiguous:

(1) Gali and Tali are unlikely to be fired.

Surface scope reading (preferred):

(2) (unlikely (Gali fired))  $\wedge$  (unlikely (Tali fired))

Inverse scope reading<sup>1</sup> (targeted meaning):

(3) (unlikely (Gali is fired  $\wedge$  Tali is fired))

\**Un-* modifies Adj head (e.g., Collins, 2023); see *prohibit*, *prevent*, etc.

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<sup>1</sup>The conjunction may have to be stressed to obtain the inverse scope reading, i.e., to avoid a homogeneity inference that would collapse the readings (cf., e.g., Szabolcsi & Haddican, 2004).

## More than one reading

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It holds that the surface scope reading entails the inverse scope reading:

$$(4) \quad (\text{unlikely (Gali fired)}) \wedge (\text{unlikely (Tali fired)}) \\ \Rightarrow (\text{unlikely (Gali is fired} \wedge \text{Tali is fired)})$$

We can bring out the **target meaning** with the following continuation (which is infelicitous with the stronger meaning):

(5) Gali and Tali are unlikely to be fired. *Though one of them will be for sure.*

$$\llbracket (5) \rrbracket = \begin{cases} 1 & \text{if } (\text{unlikely(Gali is fired} \wedge \text{Tali is fired)})... \\ 0 & \text{if } (\text{unlikely(Gali fired)}) \wedge (\text{unlikely(Tali fired)})... \end{cases}$$

## A mapping problem for (simple) CR

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According to (simple) CR, (1)'s LF should be the following:

(6) [[Gali unlikely to be fired] [and<sub>CR</sub> [Tali unlikely to be fired]]]

Which yields the stronger reading:

(7) (unlikely (Gali fired))  $\wedge$  (unlikely (Tali fired))  
 $\neq$  (unlikely (Gali is fired  $\wedge$  Tali is fired))

## A mapping problem for (simple) CR

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The **targeted meaning** can be derived from the following LF:

(8) [unlikely [[Gali fired][and<sub>CR</sub> [Tali fired]]]]

However, this LF cannot be easily mapped to the observed surface form:

The requisite LF under CR:  
[unlikely [[Gali fired][and<sub>CR</sub> [Tali fired]]]]



The surface form:  
Gali and Tali are unlikely to be fired

Monotonicity \ Coordination	DE predicate	UE predicate
Conjunction	XP <b>and</b> XP {unlikely/prohibited...} ...	XP <b>and</b> XP {likely/allowed...} ...
Disjunction	XP <b>or</b> XP {unlikely/prohibited...} ...	XP <b>or</b> XP {likely/allowed...} ...

Availability of coordination reconstruction in raising constructions

## Where are we going

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Monotonicity \ Coordination	DE predicate	UE predicate
Conjunction	XP <b>and</b> XP {unlikely/prohibited...} ...	XP <b>and</b> XP {likely/allowed...} ...
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## Warm-up: Free choice readings of disjunction

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(9) Gali is allowed to see The Thing or Eraserhead.  $\diamond(p \boxed{\vee} q) \Leftrightarrow (\diamond p \vee \diamond q)$

$\Rightarrow$  Gali is allowed to see The Thing  $\diamond p$

$\Rightarrow$  Gali is allowed to see Eraserhead  $\diamond q$

i.e., sentence (9) can convey a conjunctive meaning  $(\diamond p \boxed{\wedge} \diamond q)$

(see Kamp, 1973, among many others)

## Warm-up: Free choice readings of disjunction

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How can FC readings be derived?

(10) Gali is allowed to see The Thing or Eraserhead.

a.  $\diamond$  (Gali sees The Thing  $\square$  Gali sees Eraserhead)

$\zeta$ ?

b.  $\diamond$  (Gali sees The Thing)  $\square$   $\diamond$  (Gali sees Eraserhead)

There are different approaches to fleshing out  $\zeta$ . On one family of approaches, FC readings are derived by strengthening in grammar:

(11) STR [allowed [... or ...]]  $\Rightarrow$   $\diamond(\dots) \wedge \diamond(\dots)$

(e.g., Fox 2007; see Aloni 2007, Franke 2009, etc., for alternatives)

## Warm-up: Free choice readings of disjunction

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A surface wide-scope disjunction lacks the FC reading with *allowed*:

(12) Gali is allowed to see The Thing or she is allowed to see Eraserhead.

$\not\Rightarrow \diamond (\text{Gali sees The Thing}) \wedge \diamond (\text{Gali sees Eraserhead})$

### FC READING SCOPE CONDITION

$\diamond \gg \vee$  must hold at LF in order to derive the FC reading.

(see, e.g., Zimmermann, 2000; Geurts, 2005, for a different type of examples)

## Reconstructing disjunction

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The following sentence is ambiguous:

(13) Gali or Tali are allowed to go to the party.

Simple reading (perhaps preferred):

(14)  $\diamond(\text{Gali goes to the party}) \boxed{\vee} \diamond(\text{Tali goes to the party})$

Free choice reading (targeted meaning):

(15)  $\diamond(\text{Gali goes to the party}) \boxed{\wedge} \diamond(\text{Tali goes to the party})$

It holds that the FC reading entails the simple reading:

- (16)  $\diamond(\text{Gali goes to the party}) \wedge \diamond(\text{Tali goes to the party})$   
 $\Rightarrow \diamond(\text{Gali goes to the party}) \vee \diamond(\text{Tali goes to the party})$

We can demonstrate the existence of the stronger **target meaning** with the following continuation (which would be infelicitous with the weaker meaning):

- (17) A: Gali or Tali are allowed to go to the party.  
B: *No, you're wrong. Gali isn't allowed to!*

## A mapping problem, again

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According to (simple) CR, (13)'s LF is the following:

(18) [[Gali allowed to go to the party] [<sub>CR</sub> [Tali allowed to go to the party]]]

Which violates the **scope condition** for **FC** readings:

$\diamond \not\gg \vee$  (but rather  $\vee \gg \diamond$ )

And which accordingly yields only the simple meaning:

(19)  $\diamond(\text{Gali goes to the party}) \vee \diamond(\text{Tali goes to the party})$

## A mapping problem, again

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To the point, the **FC reading** can be derived by strengthening the following LF:

(20) [allowed [[Gali goes to the party][or<sub>CR</sub> [Tali goes to the party]]]]

However, this LF cannot be easily mapped to the surface form:

The requisite LF under CR:  
[allowed [[Gali goes to the party][or<sub>CR</sub>  
[Tali goes to the party]]]]



The surface form:  
Gali or Tali are allowed to go to the  
party

## Intermediate summary: the empirical landscape

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Monotonicity \ Coordination	DE predicate	UE predicate
Conjunction	XP <b>and</b> XP {unlikely/prohibited...} ...	XP <b>and</b> XP {likely/allowed...} ...
Disjunction	XP <b>or</b> XP {unlikely/prohibited...} ...	XP <b>or</b> XP {likely/allowed...} ...

Availability of coordination reconstruction in raising constructions

- Conjunction in subject + *unlikely* (etc) allows for a **weak (inverse)** reading.  
    ↪ reconstruction of conjunction below *unlikely* (etc)
- Disjunction in subject + *allowed* (etc) allows for a **free choice** reading.  
    ↪ reconstruction of conjunction below *allow* (etc)
- Accounting for this in simple CR runs into a **mapping problem**.



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## Revisiting the two families of approaches

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## Revisiting the two families of approaches

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Uniformity, like in Propositional Logic:

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Variation, like what we hear (and see):

$[XP \dots] \{\text{and/or}\}_{FL} [XP \dots]$ ,  
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"Variation holds at the LF..."

- Spike bit [Tom {and/or}<sub>FL</sub> Jerry].

"... meanings of coordinators (etc.) can be shifted."

- Spike bit [ [Tom<sup>^</sup>] {and/or}<sub>FL</sub> [Jerry<sup>^</sup>]]

(cf. Partee & Rooth, 1983)

A straightforward account of our data:

(21) Gali or Tali are allowed to go to the party.

Surface form under Flexibility:

(22)  $[[[Gali^{\wedge}] \text{ or}_{FL} [Tali^{\wedge}]]_1 \text{ [allowed } [t_1 \text{ go to the party}]]]$

**Reconstruction** is available:

(23)  $[\text{allowed } [[[Gali^{\wedge}] \text{ or}_{FL} [Tali^{\wedge}]] \text{ go to the party}]]]$

After reconstruction the **scope condition** is met and the **FC** reading is derivable (through strengthening or otherwise, as mentioned above):

- (24) [STR [allowed [[[Gali<sup>^</sup>] or<sub>FL</sub> [Tali<sup>^</sup>]] go to the party]]]  
 $\Rightarrow \diamond (\text{G party}) \wedge \diamond (\text{T party})$

An analogous derivation is available for the conjunction + *unlikely* cases:

- (25) [unlikely [[[Gali<sup>^</sup>] and<sub>FL</sub> [Tali<sup>^</sup>]] to be fired]] (reconstruction at LF)  
 $\Rightarrow (\text{unlikely (Gali is fired} \wedge \text{Tali is fired)})$

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The parse on which the coordination doesn't reconstruct yields the other readings we mentioned.

Even though flexibility accounts for coordination reconstruction smoothly, it:

- commits us to a substantive hypothesis according to which grammar incorporates mechanisms that can generate a systematic ambiguity,
- faces several independent challenges.

(see, e.g., Schein, 2017; Hirsch, 2017, 2022; Sauerland, 2018)



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Right node raising?

(26) Suggested derivation of apparent subject DP coordination under CR:

a. Tom and Jerry liked milk.

b. LF of (a):

[[Tom [liked milk]][and<sub>CR</sub> [Jerry [liked milk]]]]

c. RNR to get the surface form in (a):

[[[Tom  $t_1$ ][and<sub>CR</sub> [Jerry  $t_1$ ]]][liked milk]<sub>1</sub>]



Right node raising on its own? **Not sufficient**


(27) RNR attempt for subject disjunction + *allowed*

a. Gali or Tali are allowed to go to the party.

b. (a)'s LF: ✗

[[G [allowed to go to the party]][or<sub>CR</sub> [T [allowed to go to the party]]]]  
 (✗ → FC)

c. RNR to get the surface form in (a): ✓

[[[Gali t<sub>1</sub>][or<sub>CR</sub> [Tali t<sub>1</sub>]]][allowed to go to the party]<sub>1</sub>]  


Right node raising + further extraction? **Not adequate**

(28) RNR attempt for subject conjunction + *unlikely*

a. Gali and Tali are unlikely to be fired.

b. (a)'s alternative LF: ✓

[unlikely [[[Gali be fired][and<sub>CR</sub> [Tali be fired]]]]] (↷ *inverse reading*)

c. Movement to get the surface form in (a): ✗

[[[Gali  $t_1$ ][and<sub>CR</sub> [Tali  $t_1$ ]]]<sub>2</sub>[are unlikely [ $t_2$  [to be fired]<sub>1</sub>]]]



(Agreement mismatch, etc.)

Something else is needed ...

Modal movement?

(29) Covert Across-The-Board Movement

a. CR base structure:

[[G [allowed to go to the party]][<sub>or<sub>CR</sub></sub> [T [allowed to go to the party]]]]

b. Covert movement of the modal, CR LF:

[allowed<sub>3</sub>[[Gali [<sub>t<sub>3</sub></sub> go to the party]][<sub>or<sub>CR</sub></sub> [Tali [<sub>t<sub>3</sub></sub> go to the party]]]]]



( $\rightsquigarrow$  FC, if strengthened)

(cf. Meyer & Sauerland, 2017, for other kinds of examples)

Modal movement? **Not adequate**

Impossible for full coordination examples:

- (30) Gali is allowed to go to the party or Tali is allowed to go to the party  
 $\nRightarrow \diamond(\text{Gali goes to the party}) \wedge \diamond(\text{Tali goes to the party})$

Overgeneration:

- (31) Gali or Tali have been exactly twice allowed to go to a party.

We admit an undesirable LF:

[allowed [Gali or Tali went exactly twice to a party]]

Something else is needed ...

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It has been argued that proper names (e.g., *Gali*) have clausal syntax:

(32)  $Gali \rightsquigarrow \{ \exists / \text{THE} \} [ \lambda x [ x \text{ Gali} ] ]$

Applying this to our cases may allow us to stick to CR:

(33) Surface:  $[ \text{STR} [ \exists [ \lambda x [ x \text{ Gali or}_{CR} x \text{ Tali} ] ] ] ]_1 [ \text{allowed} [ t_1 \text{ go to the party} ] ] ]$

(34) LF:  $[ \text{STR} [ \text{allowed} [ [ \exists [ \lambda x [ x \text{ Gali or}_{CR} x \text{ Tali} ] ] ] ] \text{ go to the party} ] ] ]$

(cf. Stowell 1981; Heim & Kratzer 1998; Champollion 2016 on conjunction)



Treating proper names as clausal nominal? **Not enough for two reasons**

- We garner some advantages of flexibility but lose some advantages of CR (e.g., scope restriction with respect to negation).
- A generalization to quantificational DPs is needed (flexibility/shifting):

(35) Most professors or all lecturers are allowed to quit their positions.

$\Rightarrow \diamond(\text{most profs quit}) \wedge \diamond(\text{all lecturers quit})$

## No escape from flexibility, type-shifting?

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The takeaway:

We have to admit some type-shifting and/or other covert operations into our system (e.g., Lasersohn, 1995; Link, 1983; Winter, 2001; Schmitt, 2013; Champollion, 2016).

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## What we showed ... and what should we do?

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### The data:

Monotonicity \ Coordination	DE predicates	UE predicates
Conjunction	XP and XP {unlikely/prohibited...} ...	XP and XP {likely/allowed...} ...
Disjunction	XP or XP {unlikely/prohibited...} ...	XP or XP {likely/allowed...} ...

The existence of reading in which  $OP_{\{DE/UE\}} \gg \{\wedge/\vee\}$ .

### Consequences for the theory:

- **Flexibility:** A straightforward account with independent issues.
- **CR:** Mapping problem persists ...

to be continued

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